



## Cambridge International AS & A Level

CANDIDATE NAME					
CENTRE NUMBER			CANDIDATE NUMBER		

49462351

MATHEMATICS 9709/15

Paper 1 Pure Mathematics 1

May/June 2025

1 hour 50 minutes

You must answer on the question paper.

You will need: List of formulae (MF19)

#### **INSTRUCTIONS**

- Answer all questions.
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs.
- Write your name, centre number and candidate number in the boxes at the top of the page.
- Write your answer to each question in the space provided.
- Do not use an erasable pen or correction fluid.
- Do not write on any bar codes.
- If additional space is needed, you should use the lined page at the end of this booklet; the question number or numbers must be clearly shown.
- You should use a calculator where appropriate.
- You must show all necessary working clearly; no marks will be given for unsupported answers from a calculator.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in degrees, unless a different level of accuracy is specified in the question.

### **INFORMATION**

- The total mark for this paper is 75.
- The number of marks for each question or part question is shown in brackets [ ].

This document has 20 pages. Any blank pages are indicated.

Find an equation of the curve.	[4]
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In the expansion of  $(3 + ax)^5 + (6 - x)^4$ , the coefficient of  $x^2$  is six times the coefficient of x.

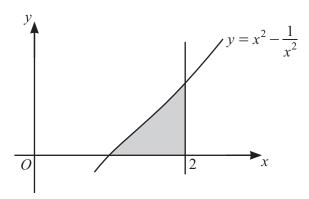
Find the possible values of the constant $a$ .	[5]
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) l	Hence solve the equation $4 \tan \theta = 4 + \frac{1}{\tan \theta}$ for $0^{\circ} < \theta < 180^{\circ}$ .
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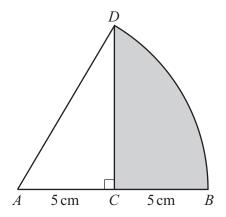
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The diagram shows part of the curve  $y = x^2 - \frac{1}{x^2}$ . The shaded region is bounded by the curve, the line x = 2 and the x-axis.

Find the volume formed when the shaded region is rotated through $360^{\circ}$ about the x-axis, giving y answer correct to 2 decimal places.	your [5]
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The diagram shows a sector ABD of a circle with centre A and radius 10 cm. The perpendicular bisector of AB passes through D.

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(b)	Find the area of the shaded region <i>BCD</i> , giving your answer correct to 1 decimal place. [2]

Each year, on her birthday, Ananya receives some money from each of her parents. 6

On Ananya's first birthday, her father gives her \$10. Every subsequent year, her father gives her \$5 more than he gave her the previous year.

On Ananya's first birthday, her mother also gives her \$10. Every subsequent year, her mother gives her 20% more than she gave her the previous year.

	Show that on Ananya's eleventh birthday she receives more from her mother than from her father [3]
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(b) Find the total amount of money Ananya receives up to and including her eighteenth birthday. [5	
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7	In the parallelogram $ABCD$ , the coordinates of $A$ are $(3, 7)$ , the coordinates of $B$ are $(6, p)$ and the
	coordinates of D are $(1, p)$ . It is given that the gradient of AB is $-\frac{2}{3}$ .

(a)	Find the value of p.	[2]
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(b)	Find the coordinates of $C$ .	[2]
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(b)	Find the coordinates of <i>C</i> .	
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* 0	00080000011 *
(c)	Find the area of the triangle formed by the perpendicular bisector of $AB$ and the $x$ - and $y$ -axes. [5]

(a)



The equation of a curve is  $y = x^3 + ax^2 + bx + 5$ . The curve has a stationary point at (1, 9). 8

Find the values of the constants $a$ and $b$ .	[5]
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(b)	Find the coordinates of the other stationary point. [3	;]
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(c)	A point <i>P</i> is moving along part of the curve in such a way that the <i>y</i> -coordinate of <i>P</i> is increasin at a constant rate of 6 units per second.	g
	Find the rate at which the x-coordinate of P is increasing when $x = 5$ .	;]
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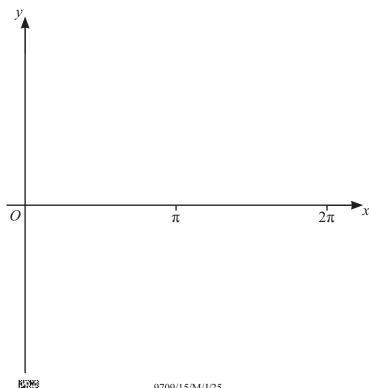
Functions f and g are defined as follows.

$$f(x) = \cos x \text{ for } 0 \le x \le \pi$$
  
 
$$g(x) = 3\cos(x - \pi) + 2 \text{ for } \pi \le x \le 2\pi$$

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(a)	Describe fully the transformations that have been combined to transform the graph of $y = f(x)$ to the graph of $y = g(x)$ .

**(b)** On the given axes, sketch the graphs of y = f(x) and y = g(x). [4]



	Find $g^{-1}f(\frac{1}{3}\pi)$ .	
		,
(d)	Explain why the composite function fg cannot be formed.	



10	The equation	of a	circle	is	$x^2$	$+y^2$	+4x	-8 <i>y</i> -	12	= (	).

	ax + by + c = 0.
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Given that the line $x + 3y = k$ does <b>not</b> intersect the circle, show that $k = 20k - 220 > 0$ .

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### Additional page

If you use the following page to complete the answer to any question, the question number must be clearly shown.					

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**20** 

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